

# Optimization of Crop Production Using Linear Programming in Jalna District, Maharashtra

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**Abstract**— Agriculture is the backbone of Jalna district in Maharashtra, India. Approximately 80% of the population is engaged in farming and related work. Maximizing profit from agriculture is the primary goal for a sustainable economy, but farmers, especially in the Marathwada region of Maharashtra, still face challenges in optimizing their limited resources. This region is predominantly agriculture-based and encounters numerous problems related to basic resources such as water, land, and labor. This research focuses on agricultural improvement in the Marathwada region, specifically in Jalna district. The aim of this paper is to optimize farm profit using linear programming with the simplex method. Linear programming is an appropriate method for solving agricultural problems by considering objective and constraint functions. The objective function is to maximize profit under land, water, and labor constraints.

**Keywords**— *Linear Programming, Simplex Method, Profit Optimization, Agricultural Resource Management.*

## I. INTRODUCTION

Jalna is one of the districts in Maharashtra, located in the Marathwada region, where farmers face significant challenges. The most pressing problem is low rainfall, combined with small land holdings. To increase farmers' profits, crops such as maize, bajra, jowar, tur, cotton, and soybean are suitable as they are superior products of Jalna district.

Problem-solving related to minimizing production costs or maximizing productivity is called the optimization process. Agriculture in Jalna is predominantly rain-fed with low irrigation coverage, causing farmers to struggle to achieve maximum profitability. Data from agricultural records indicates that cropping patterns change due to economic and climatic factors. Farmers must decide how to allocate limited land, water, and capital among several crops to maximize net returns. Traditional decision-making often fails to optimize under given constraints.

There are various types of optimization problem-solving methods, including non-linear programming, linear programming, and dynamic programming. For crop productivity where resource losses are approximately linear, linear programming is most appropriate. One method used is the simplex method, which systematically moves from a basic feasible solution to other feasible solutions until an optimum is reached. At each step, the objective function value improves (increases for maximization problems). Previous studies by Firmansyah et al. concluded that the simplex method effectively solves production system problems to maximize profits.

**Linear Programming** is a technique for optimizing a given scenario, providing the best possible outcome by allocating available resources efficiently. The two most common methods for solving linear programming problems are:

- **Simplex Method** (for problems with many variables)
- **Graphical Method** (for problems with two variables)

This study applies the simplex method to maximize crop productivity with limited resources in Jalna district.

**Steps of the Simplex Method**

Step	Description
1	Formulate the linear programming problem based on given constraints
2	Convert inequalities to equations by adding slack variables
3	Construct the initial simplex table with constraint equations in rows and the objective function at the bottom
4	Identify the most negative entry in the bottom row (pivot column)
5	Divide right-most column entries by corresponding pivot column entries (excluding bottom row) to find the pivot row (least positive ratio)
6	Perform row operations to make all entries in the pivot column zero except the pivot element
7	Check for negative entries in the bottom row; if none exist, the optimal solution is reached; otherwise, repeat from step 4
8	The final simplex table gives the optimal solution

**II. LITERATURE REVIEW**

**Bhatt et al. (2017)** highlighted the significance of operations research in agriculture, noting that linear programming is the most used technique across agricultural economic activities including production, consumption, exchange, and distribution. The primary application is optimum utilization of land and crop selection according to climatic conditions and water availability [1].

**Singh and Tesema (2018)** discussed the common interest of economists and researchers in agriculture, focusing on land, seeds, fertilizers, irrigation, transportation, and market optimization. Operations research aids decision-making while economics studies market structures, and collaboration between these fields can improve policy analysis and finance [2].

**Alotaibi and Nadeem (2021)** revealed that linear programming can increase profit using available resources. Key challenges include selecting the best crops to grow, appropriate seasons, and resource allocation. LP tools serve as quantitative analysis tools to optimize profit based on available resources [3].

**Kaur and Gupta (2021)** described the difficult condition of Indian farmers and demonstrated that linear programming helps farmers understand which crops to plant and in what quantity to maximize profit [4].

**Bhatia and Bhat (2019)** developed a linear programming farm model using Excel for Jaipur district, Rajasthan, to determine optimal crop combinations and allocation for increased production [5].

**Choudhari et al. (2024)** noted that Jalna district's dynamic cropping pattern reflects economic and environmental shifts that must be factored into optimization models [6].

**III. METHODOLOGY****3.1 Problem Formulation**

To formulate the problem mathematically, the following notation is used:

Symbol	Description
$Z$	Objective function to be maximized
$x_i$	Decision variables (area allocated to crop $i$ )
$c_i$	Coefficients of the objective function $Z$
$b_i$	Maximum limit of constraints
$a_{ij}$	Coefficients of functional constraint equations

**Objective Function:** Maximize  $Z = \sum c_i x_i$

### 3.2 Data Collection

**TABLE 1**  
**RESOURCE REQUIREMENTS AND PRODUCTIVITY FOR SELECTED CROPS IN JALNA DISTRICT**

Sr. No.	Crop	Water (Hec. cm.)	Labor (Person-days)	Productivity (Metric tons/hectare)	Land (Hectares available)
1	Maize	41	84	10.66	62210.5
2	Bajra	27	78	3.53	11410
3	Sugarcane	125	210	5.31	47227
4	Ground Nut	75	135	9.74	4880.9
<b>Total Available</b>		<b>268</b>	<b>507</b>		<b>125728.4</b>

\*(Source: District Socio-Economic Report, 2022)\*

### 3.3 Linear Programming Model

**Decision Variables:**

- $x_1$  = Area allocated to Maize (hectares)
- $x_2$  = Area allocated to Bajra (hectares)
- $x_3$  = Area allocated to Sugarcane (hectares)
- $x_4$  = Area allocated to Ground Nut (hectares)

**Objective Function:** Maximize  $Z = x_1 + x_2 + x_3 + x_4$

**Constraints:**

1. **Water Constraint:**  $41x_1 + 27x_2 + 125x_3 + 75x_4 \leq 268$
2. **Labor Constraint:**  $84x_1 + 78x_2 + 210x_3 + 135x_4 \leq 507$
3. **Land Constraint:**  $62210.5x_1 + 11410x_2 + 47227x_3 + 4880.9x_4 \leq 125728.4$
4. **Non-negativity:**  $x_1, x_2, x_3, x_4 \geq 0$

### 3.4 Solution Using Excel Solver

The linear programming problem was solved using Excel Solver (which implements the simplex algorithm).

**TABLE 2**  
**EXCEL SOLVER RESULTS**

Variable	Crop	Value (Hectares)
$x_1$	Maize	0
$x_2$	Bajra	6.5
$x_3$	Sugarcane	0
$x_4$	Ground Nut	0
<b>Total</b>		<b>6.5</b>

**Constraint Verification:**

Constraint	LHS Value	RHS Limit	Status
Water	$41(0) + 27(6.5) + 125(0) + 75(0) = 175.5$	$\leq 268$	Satisfied
Labor	$84(0) + 78(6.5) + 210(0) + 135(0) = 507$	$\leq 507$	Binding
Land	$62210.5(0) + 11410(6.5) + 47227(0) + 4880.9(0) = 74,165$	$\leq 125,728.4$	Satisfied

## IV. RESULTS AND DISCUSSION

### 4.1 Optimal Solution

The linear programming solution indicates that **Bajra** is the most profitable crop under the given resource constraints in Jalna district. The optimal solution recommends:

- **Maize:** 0 hectares
- **Bajra:** 6.50 hectares
- **Sugarcane:** 0 hectares
- **Ground Nut:** 0 hectares

### 4.2 Interpretation

Finding	Implication
Bajra is the optimal crop	Requires less water (27 hec. cm) and labor (78 person-days) compared to other crops
Water constraint is not binding	Available water (268 hec. cm) exceeds the requirement for optimal Bajra cultivation (175.5 hec. cm)
Labor constraint is binding	Labor availability (507 person-days) is exactly utilized at the optimal solution
Land constraint is not binding	Available land (125,728.4 hectares) far exceeds the optimal allocation (6.5 hectares), indicating that other factors limit production

### 4.3 Discussion

The results demonstrate that linear programming and the simplex method can improve decision-making in agriculture. Among the four crops considered—maize, bajra, sugarcane, and ground nut—bajra emerges as the most profitable crop for Jalna district. This finding is significant given the region's water scarcity and labor constraints.

The model considered three critical resources:

1. **Water availability** (268 hec. cm)
2. **Labor availability** (507 person-days)
3. **Land availability** (125,728.4 hectares)

The binding labor constraint suggests that labor availability is the primary limiting factor in the current scenario. This approach is particularly beneficial for regions like Jalna where resource limitations and monsoon variability significantly influence agricultural outcomes.

## V. CONCLUSION

This study demonstrates that linear programming and the simplex method can effectively optimize crop production decisions under resource constraints in Jalna district, Maharashtra.

### Key Findings:

1. **Bajra** is identified as the most profitable crop among maize, bajra, sugarcane, and ground nut under the given water, labor, and land constraints
2. **Labor availability** is the binding constraint, limiting total cultivated area to approximately 6.5 hectares under optimal allocation
3. **Water availability** is sufficient for the optimal crop combination, with surplus remaining

### Practical Implications:

- Farmers in Jalna district can use this approach to make data-driven cropping decisions
- The methodology can be extended to include additional crops and constraints (e.g., fertilizer availability, market prices, rainfall patterns)
- Linear programming provides a systematic framework for resource allocation in agriculture

### Limitations and Future Work:

- The model assumes linear relationships between inputs and outputs
- Future research could incorporate price fluctuations, risk factors, and multiple cropping seasons
- Sensitivity analysis could examine how changes in resource availability affect the optimal solution

### REFERENCES

- [1] Bhatt, A., Multani, A., Agarwal, A., & Joshi, A. (2017). Application of operations research in agriculture. *International Journal of Advance Research, Ideas and Innovations in Technology*, 3(5), 343–357.
- [2] Singh, A. S., & Tesema, M. W. (2018). Operations research in agricultural and economic research for multiple criteria decision making: A linear programming approach. *International Journal of Economics, Commerce and Management*, 6(10), 651–664.
- [3] Alotaibi, A., & Nadeem, F. (2021). A review of applications of linear programming to optimize agricultural solutions. *International Journal of Information Engineering and Electronic Business*, 13(2), 11–21.
- [4] Kaur, H., & Gupta, N. (2021). Linear programming: A boon for farmers. *International Journal of Engineering Applied Sciences and Technology*, 5(12), 223–226.
- [5] Bhatia, M., & Rana, A. (2020). A mathematical approach to optimize crop allocation – A linear programming model. *International Journal of Design & Nature and Ecodynamics*, 15(2), 245–252.
- [6] Majeke, F., & [Full author names if available]. (2013). A farm resource allocation problem: A case study of model A2 resettled farmers in Bindura, Zimbabwe. *International Journal of Economics and Management Sciences*, 2(7), 1–4.
- [7] Taha, H. H. (1975). *Integer programming: Theory, applications and computations*. Academic Press.
- [8] Davidson, J. M., & Ross, D. E. (2020). *Mathematical methods in agricultural economics: Optimization models for resource allocation*. Routledge.
- [9] Hillier, F. S., & Lieberman, G. J. (2021). *Introduction to operations research* (10th ed.). McGraw-Hill Education.
- [10] Zhang, Z. (2019). *Linear programming in agriculture and environmental systems*. Springer.
- [11] Government of Maharashtra. (n.d.). *ZP Jalna*. <https://zpjnalna.maharashtra.gov.in>
- [12] Choudhari, P. S., Chavan, R. V., Choudhari, S. D., & Tarde, P. B. (2024). Changes in cropping pattern in Jalna district of Maharashtra. *International Journal of Statistics and Applied Mathematics*, 9(5S), 179–181. <https://www.mathsjournal.com/pdf/2024/vol9issue5S/PartC/S-9-5-29-682.pdf>.